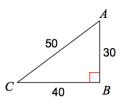
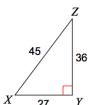
Target A: I can describe the trigonometric ratios

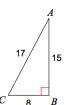
 $\sin C$



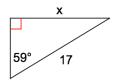
 $\tan X$

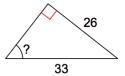


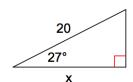
 $\cos C$

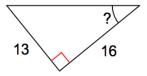


<u>Target B: I can apply the trigonometric ratios to determine unknown angle measures and side lengths</u>









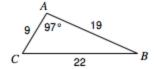
Target C: I can apply trigonometric ratios to solve problems

From a horizontal distance of 80.0 m, the angle of elevation to the top of a flagpole is 18°. Calculate the height of the flagpole to the nearest tenth of a metre.

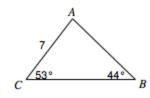
An airplane is flying at an altitude of 6000 m over the ocean directly toward a coastline. At a certain time, the angle of depression to the coastline from the airplane is 14°. How much farther (to the nearest kilometer) does the airplane have to fly before it is directly above the coastline?

Target D: I can describe and apply the law of sines to solve problems

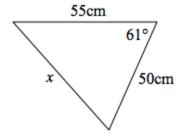
Find <C and <B.

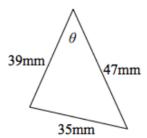


Find BC



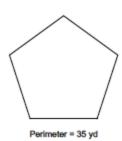
Target E: I can describe and apply the law of cosines to solve problems





Extra Challenges:

Find the area. You will need the apothem first.



Todd's friend Olivia is flying her plane at an elevation of 6.3 km. From the ground, Todd sees the plane moving directly toward him from the west at a 49° angle of elevation. Three minutes later he turns and sees the plane moving away from him to the east at a 65° angle of elevation. How fast is Olivia flying in kilometers per hour?

Solutions:

Target A: 30/50 (3/5), 36/27 (4/3), 8/17

Target B: 14.57 , 52 degrees , 17.82, 39 degrees

Target C: 26 , 24,066

Target D: C = 59 degrees B = 24 degrees, BC = 10

Target E: 53 47 degrees